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# Separation of deuterium from H–D gas mixture by thermal diffusion in the devices of multi concentric-tube columns with total sum of column heights fixed

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# ABSTRACT

The equation for predicting the degrees of separation for deuterium recovery from the  $H_2$ –HD– $D_2$  system using thermal diffusion in single-column, double-column and triple-column devices are derived. The column number effect on separation efficiency with a fixed total sum of column heights is then investigated. Considerable improvement in recovery can be achieved in multi-column devices, instead of a single-column device with the column height equal to the same total sum of column heights, especially for the cases of higher flow-rate operation and larger total sum of column heights.

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# 1. Introduction

Nuclear energy supplied by fission reactors with uranium as the nuclear fuel, now plays an important role in meeting our energy need. In the distant future the applications of thermonuclear fusion with deuterium (D) may become a reality. In addition to being the fusion energy resource, heavy water is also the most feasible moderator and coolant for fission reactors. Lewis and Mac Donald [1] concentrated a large quantity of water into a small amount of nearly pure heavy water by electrolysis. Between 1940 and 1945, four heavy water production plants were placed in operation by the US Government under the Manhattan Program [2,3]. Thermal diffusion is a well-established method for separating isotopes. It was used to separate uranium isotopes at Oak Ridge Laboratory during World War II. This method is particularly attractive for the separation of hydrogen isotopes (H–D–T) because of the large molecular weight ratio [4,5]. Verhagen [6] used this method for routine tritium (T) sample enrichment. Using suitable arrangement of two diffusion columns and a container, 10-times enrichment with better than 95% recovery was achieved in about 20 h.

Recently, several investigators [7–13] employed the cryogenicwall thermal diffusion column successfully separating H–D and H–T mixtures. The deuterium (D) recovery from an H–D gas mixture in the cryogenic-wall thermal diffusion columns was estimated [14–16] using the modeling prediction method [14] with the transport coefficients determined from the experimental data of Arita et al. [13].

The degrees of separation are very small for separating isotope mixtures using thermal diffusion, as well as by other means. In industrial applications, therefore, thermal diffusion should be applied in the multi-column devices, instead of the single-column one, with columns connected in series as shown in Figs. 2 and 3. The reason for this is that to obtain a larger production rate, although increasing the column height *L* in a single-column increases the effective device separation section, the increment of separation efficiency by increasing *L* has a limited value, especially for larger volumetric flow rates. The purpose of this study is to compare the separation efficiencies for recovery of deuterium from the H<sub>2</sub>-HD-D<sub>2</sub> system using thermal diffusion in single-, double-, and triple-column devices at a fixed total sum of column heights under various volumetric flow rates *V<sub>F</sub>*, operating pressures *P* and total sums of column heights. The separation theories are based on one column design developed in previous works [14–16].

# 2. Separation theory

Fig. 1 shows a single concentric-tube thermal diffusion column for separation of the  $H_2$ –HD– $D_2$  system with feed introduced at the column middle point. A temperature gradient applied between the hot and cold walls has two effects: a flux ( $J_{X-TD}$ ) of deuterium (D) relative to others is brought to the cold surface by thermal diffusion, and (2) the natural convective currents are produced in the *z*-axis parallel to the wall surfaces owing to density differences. The combined result of these effects is to produce a concentration difference between the two ends of the column [15].

# 2.1. Transport equation

The transport equation for deuterium (D) recovery from the H<sub>2</sub>– HD–D<sub>2</sub> system in a batch-type concentric-tube thermal diffusion column with inner tube outside radius  $R_1$  and outer tube inside radius  $R_2$ , may be expressed with temperature difference,  $\Delta T$ , as [15]



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# Nomenclature

$A_F$	product form of feed concentration
В	column width (cm)
С	fractional mass concentration of deuterium in ith
	column
$C_i$	C in <i>i</i> th column
$C_B$	C in the bottom product of the single-column device
$C_{B,I}$	C in the bottom of <i>i</i> th column
$C_F$	C in the feed streams
$C_T$	C in the top product of the single-column device
$C_{T,I}$	C in the top product of <i>i</i> th column
D	ordinary diffusion coefficient (cm <sup>2</sup> /s)
g	gravitational acceleration (cm/s <sup>2</sup> )
H	system constant defined by Eq. $(2)$ (cm <sup>3</sup> /s)
h	column height (cm)
I <sub>d</sub> , I <sub>d</sub>	improvement in recovery of deuterium defined by
	Eq. (39), by Eq. (40)
Jx-od	mass flux of deuterium in x-direction owing to ordinary
	diffusion (g/cm <sup>2</sup> s)
Jz-od	mass flux of deuterium in z-direction owing to ordinary
	diffusion (g/cm <sup>2</sup> s)
Κ	system constant defined by Eq. $(3)$ (cm <sup>4</sup> /s)

$$\tau = -(H\rho/8) - (K\rho/2)\frac{dC}{dz} < 0$$
(since deuterium is transferred toward opposite direction

. .

of z-axis) (1)

where  $\tau$  and *C* are the transport and mass fraction of deuterium while the transport coefficients, *H* and *K*, are defined as

$$H = \frac{8(-\alpha)(2\pi R_1)(R_2 - R_1)(\Delta T)^2 A_F F'(k)}{6!\mu \overline{T}}$$
(2)

$$K = \frac{2g^2 \beta_{\overline{T}}^2 (2\pi R_1) (R_2 - R_1)^7 (\Delta T)^2 G'(k)}{9! \mu^2 D}$$
(3)



Fig. 1. Single concentration-tube column device with column height L.

L	total sum of column heights (cm)
Р	operating pressure (kPa)
$R_1$	outside radius of inner tube (cm)
$R_2$	inside radius of outer tube (cm)
$\overline{T}$	mean absolute temperature (K)
$\Delta T$	difference in temperature between hot and cold sur- faces (K)
$V_F$	volumetric flow rate of feed streams (cm <sup>3</sup> /s)
x	axis perpendicular to hot and cold surfaces (cm)
Ζ	axis parallel to the surfaces of column wall (cm)
Greeks sy	rmbols
α	thermal diffusion constant, <0 for H <sub>2</sub> -HD-D <sub>2</sub> system
$\beta_{\overline{\tau}}$	$(-(1/\rho)(\partial \rho/\partial T))$ evaluated at $\overline{T}$ (K <sup>-1</sup> )
$\Delta_{\rm s}, \Delta_{\rm d-i}, \Delta$	$d_{t,i}$ degree of separation obtained in single-column, dou-
5, 41,	ble-column and triple-column devices of <i>i</i> th column.
0	mass density at $\overline{T}$ (g/cm <sup>3</sup> )
r U	absolute viscosity (g/cm s)
σ	mass flow rate $(g/s)$
0	11400 110 11 1466 (5/0)

 $\tau$  transport of deuterium in a column (g/s)

In Eq. (1), the term *H* represents the separation effectiveness using thermal diffusion and the term *K* represents the counter effect of remixing due to convection in a vertical column. The most important assumptions in deriving the above equation are that the flow is laminar, that the physical properties (mass density  $\rho$ , expansion coefficient  $\beta_{\overline{T}}$ , diffusivity *D*, viscosity  $\mu$ , average absolute temperature  $\overline{T}$ , .....) are constant, and the concentrations are locally in equilibrium at every point in the column for the following reversible reaction:

$$H_2 + D_2 \iff 2HD$$
 (4)

The modified factors, F(k) and G'(k), in Eqs. (2) and (3) for the tube curvature effect were derived in the previous works [15,17], defined by very long and complicated equations and expressed graphically. As mentioned before, since the degree of separation for the separation of isotope mixtures in a thermal diffusion column is generally very small, as well as in other separation devices, the pseudo product-form concentration,  $A_F$ , in Eq. (2) was also assumed to be constant for simplicity and convenience while still preserving the precision of the predicted results [15,16].

### 2.2. Single-column device with column height L

The transport equations for deuterium recovery from the H<sub>2</sub>– HD–D<sub>2</sub> system in a continuous-type concentric-tube thermal diffusion column with feed introduced at the column middle point (z = 0), as shown in Fig. 1, may be modified from Eq. (1) with the addition of a forced convection stream for continuous operation,  $\sigma C = (V_F/2)\rho C$ , in which the feed volume rate  $V_F$  is related to the mass flow rate  $\sigma$  in each transport section as

$$V_F = 2\sigma/\rho \tag{5}$$

The results are

$$\tau = -(V_F/2)\rho C - (H\rho/8) - (K\rho/2)\frac{dC}{dz},$$
  
-  $L/2 \leq Z \leq 0$  (enriching section) (6)

$$\tau = (V_F/2)\rho C - (H\rho/8) - (K\rho/2)\frac{dC}{dz},$$
  

$$0 \le Z \le L/2 \text{ (stripping section)}$$
(7)



**Fig. 2.** Double concentration-tube column device with column height L/2.



**Fig. 3.** Triple concentration-tube column device with column height L/3.

At steady state, the deuterium mass transport  $\tau$  is constant and  $\tau = -(V_F/2)\rho C_B$  and  $\tau = (V_F/2)\rho C_T$  in the enriching and stripping section, respectively, Eqs. (6) and (7) become

$$-(H/4) + V_F(C_B - C) = K \frac{dC}{dz}, \ -L/2 \leqslant Z \leqslant 0$$
(8)

$$-(H/4) - V_F(C_T - C) = K \frac{dC}{dz}, \ 0 \leqslant Z \leqslant L/2$$
(9)

The deuterium concentrations at the bottom ( $C_B$ ) and top ( $C_T$ ) ends of a single-column are readily obtained by integrating Eqs.

(8) and (9), respectively, using of the following boundary conditions:

$$C = C_B \text{ at } z = -L/2 \tag{10}$$

$$C = C_F$$
 at  $z = 0$ 

(middle point of a single-column where the feed streamright is introduced) (11)

$$C = C_T \text{ at } z = L/2 \tag{12}$$

The results are

$$C_B - C_F = \frac{H}{4V_F} (1 - e^{-V_F L/2K})$$
(13)

$$C_T - C_F = \frac{-H}{4V_F} (1 - e^{-V_F L/2K})$$
(14)

The degree of separation is finally obtained by combining Eqs. (13) and (14), as

$$\Delta_S = C_B - C_T \tag{15}$$

$$=\frac{H}{2V_{F}}(1-e^{-V_{F}L/2K})$$
(16)

Eq. (16) is exactly the same equation as Eq. (11) in previous work [14].

# 2.3. Double-column device with uniform column height L/2

The equation for the concentration difference in the first column of a double-column device (Fig. 2) is readily modified from Eq. (16) with  $\Delta_S$  and *L* replaced by  $\Delta_{d-1}$  and *L*/2, respectively

$$\Delta_{d-1} = C_{B,1} - C_{T,1} \tag{17}$$

$$=\frac{H}{2V_F}(1-e^{-V_F L/4K})$$
 (18)

Making material balance for deuterium at the top and bottom ends of the second column, respectively, one has

$$\sigma C_{T,1} = (-\tau) + \sigma C_{T,2} \tag{19}$$

$$\sigma C_{B,2} = (-\tau) + \sigma C_{B,1} \tag{20}$$

The combination of Eqs. (1) and (19) using Eq. (5) yields

$$C_{T,1} - C_{T,2} = (H/4V_F) + (K/V_F)\frac{dC}{dz}$$
(21)

Similarly, the combination of Eqs. (1) and (20) results in

$$C_{B,2} - C_{B,1} = (H/4V_F) + (K/V_F) \frac{dC}{dz}$$
 (22)

The integration of Eqs. (21) and (22) from the bottom (z = -L/4) to the top (z = L/4) of the second column satisfies the boundary conditions:

 $C = C_{B,2}$  at z = -L/4 (the bottom of second column) (23)

$$C = C_{T,2}$$
 at  $z = L/4$  (the top of second column) (24)

are

$$C_{T,2} - C_{B,2} = \left(\frac{V_F L}{2K}\right) [(C_{T,1} - C_{T,2}) - (H/4V_F)]$$
(25)

$$C_{T,2} - C_{B,2} = \left(\frac{V_F L}{2K}\right) [(C_{B,2} - C_{B,1}) - (H/4V_F)]$$
(26)

The addition of Eqs. (25) and (26) using Eq. (17) gives the equation for calculating the degree of deuterium recovery in a doublecolumn device as

$$\begin{aligned} \Delta_d &= C_{B,2} - C_{T,2} \end{aligned} (27) \\ &= \frac{(H/2V_F) + \Delta_{d-1}}{(H/2V_F) + \Delta_{d-1}} \end{aligned} (28)$$

# 2.4. Triple-column device with uniform column height L/3

The equation for the concentration difference in the first column of the triple-column device (Fig. 3) is readily obtained by modifying Eq. (16) with  $\Delta_S$  and L replaced by  $\Delta_{t-1}$  and L/3, respectively

$$\Delta_{t-1} = C_{B,1} - C_{T,1} \tag{29}$$

$$=\frac{H}{2V_{F}}(1-e^{-V_{F}L/6K})$$
(30)

The equation for the second column is modified from Eq. (28) with *L*/2,  $\Delta_{d-1}$  and  $\Delta_d$  replaced by *L*/3,  $\Delta_{t-1}$  and  $\Delta_{t-2}$ , respectively

$$\Delta_{t-2} = C_{B,2} - C_{T,2} \tag{31}$$

$$=\frac{(H/2V_F) + \Delta_{t-1}}{1 + (6K/V_FL)}$$
(32)

Making the material balances for deuterium at the top and bottom ends of the third column, respectively, one has

$$\sigma C_{T,2} = (-\tau) + \sigma C_{T,3} \tag{33}$$

$$\sigma C_{B,3} = (-\tau) + \sigma C_{B,2} \tag{34}$$

Substituting Eq. (1) into Eqs. (33) and (34) to eliminate  $\tau$  and then integrating, subject to the following boundary conditions for the third column:

$$C = C_{B,3}$$
 at  $z = -L/6$  (the bottom of third column) (35)

$$C = C_{T,3}$$
 at  $z = L/6$  (the top of third column) (36)

one has the degree of deuterium recovery in a triple-column device by following the same procedure from Eq. (19) through Eq. (28). The result is

$$\Delta_t = C_{B,3} - C_{T,3} \tag{37}$$

$$=\frac{(H/2V_F) + \Delta_{t-2}}{1 + (6K/V_FL)}$$
(38)

# 3. Numerical calculation

# 3.1. Numerical example

H (cm3/min)

 $K(cm^4/min)$ 

The experimental data obtained by Arita et al. [13] for the separation of the H-D gas mixture in a continuous-type cryogenicwall thermal diffusion column will be employed to predict the deuterium recovery in the multi-column devices with a fixed total sum of column heights (L = 300, 600 and 900 cm). The apparatus used consists of a stainless steel column 2.97 cm inside diameter  $(2R_2)$  as the cold wall, inserted concentrically with a tungsten wire 0.05 cm in diameter  $(2R_1)$  as a heater. The stainless steel column and the tungsten wire may be considered as the outer and inner tubes, respectively, of a concentric-tube thermal diffusion column. The effective heat length was 150 cm. The feed with unity atomic ratio of H and D (mass fraction of deuterium  $C_F = 2/(1+2) = 2/3$ ) was introduced. The heater temperature was 1273 K, while the cold wall was cooled using liquid nitrogen with the temperature under the operating pressures (P) of 26.36, 33.18, 40 and 53.18 kPa. The transport coefficients *H* and *K*, for deuterium were determined [14] by using the experimental data of Arita et al.'s

3504

53.18

152.74

15,085

137.66

10,300

Table 1Transport coefficients of deuterium in $H_2$ -HD-D2 system [14].P (kPa)26 3633 1840										
P (kPa)	26.36	33.18	40							
H(cm3/min)	39 506	66 254	137.66							

1621

 $1 + (4K/V_FL)$ 

Table 2
Comparison of deuterium recoveries in single-column, double-column and triple-column devices: (a) L = 300 cm; (b) L = 600 cm; (c) L = 900 cm.

$V_F$ (cm <sup>3</sup> /min)	1 <sup>3</sup> /min) 26.36 kPa			33.18 kPa			40 kPa			53.18 kPa		
	$\Delta_s$	$\Delta_d$	$\Delta_t$	$\Delta_s$	$\Delta_d$	$\Delta_t$	$\Delta_s$	$\Delta_d$	$\Delta_t$	$\Delta_s$	$\Delta_d$	$\Delta_t$
(a)												
100	0.198	0.987	0.562	0.327	0.425	0.396	0.528	0.440	0.327	0.481	0.353	0.251
200	0.098	0.195	0.289	0.166	0.267	0.299	0.325	0.361	0.305	0.330	0.310	0.242
400	0.049	0.098	0.146	0.083	0.148	0.190	0.172	0.249	0.253	0.187	0.237	0.216
(b)												
100	0.198	0.391	0.577	0.331	0.533	0.598	0.642	0.720	0.605	0.659	0.621	0.485
200	0.099	0.197	0.292	0.166	0.297	0.380	0.341	0.498	0.502	0.375	0.473	0.433
400	0.049	0.099	0.147	0.083	0.157	0.216	0.172	0.291	0.350	0.191	0.302	0.333
(c)												
100	0.198	0.392	0.580	0.331	0.573	0.663	0.680	0.891	0.836	0.725	0.812	0.690
200	0.099	0.197	0.293	0.166	0.307	0.400	0.344	0.560	0.627	0.381	0.558	0.569
400	0.049	0.099	0.147	0.083	0.159	0.222	0.172	0.309	0.397	0.191	0.327	0.394

**Table 3** Improvement of deuterium recoveries in multi-column devices: (a) L = 300 cm; (b) L = 600 cm; (c) L = 900 cm.

$V_F$ (cm <sup>3</sup> /min)	26.36 kPa		33.18 kPa	33.18 kPa		40 kPa		53.18 kPa	
	I <sub>d</sub> (%)	<i>I</i> <sub>t</sub> (%)	I <sub>d</sub> (%)	<i>I</i> <sub>t</sub> (%)	I <sub>d</sub> (%)	<i>I</i> <sub>t</sub> (%)	I <sub>d</sub> (%)	I <sub>t</sub> (%)	
(a)									
100	95.77	184.50	30.10	21.32	-16.67	-38.07	-26.60	-47.88	
200	97.86	192.08	61.04	80.60	11.08	-6.15	-5.84	-26.48	
400	98.93	195.99	79.07	129.66	44.77	47.09	26.34	15.53	
(b)									
100	7.86	192.08	61.04	80.60	12.11	-5.76	-5.84	-26.48	
200	98.93	195.99	79.07	129.66	46.04	47.21	26.34	15.53	
400	99.46	197.99	88.96	161.02	69.19	103.49	58.38	74.42	
(c)									
100	98.57	193.63	72.91	100.05	31.03	22.94	11.93	-4.80	
200	99.28	196.79	85.55	141.51	62.79	82.27	46.37	49.42	
400	99.64	198.39	92.59	168.09	79.65	130.81	71.07	106.42	

work [13]. Some values for various operating pressures are listed in Table 1.

#### 3.2. Results and discussion

The degrees of deuterium recovery in single-column, doublecolumn and triple-column devices with fixed total sum of column heights (L), were calculated from the appropriate equations with various operating pressures and volumetric flow rates. The results are listed in Table 2. From this table, the degree of recovery increases when the total sum of column heights increases, while as the volumetric flow rate decreases. The best recoveries for larger L were obtained under operating pressures of 40 kPa. The order of operating pressures for better recovery is 40 kPa, 53.18 kPa, 33.18 kPa and 26.36 kPa.

The improvement in performance by operating with multi-column devices is best illustrated using the calculated percentages of increased performance based on the single-column device:

$$I_d = \frac{\varDelta_d - \varDelta_s}{\varDelta_s} \tag{39}$$

$$I_t = \frac{\Delta_t - \Delta_s}{\Delta_s} \tag{40}$$

The results are listed in Table 3 and Fig. 4. This table shown that considerable improvements,  $I_d$  and  $I_t$ , can be achieved if the deuterium recovery from the H<sub>2</sub>-HD-D<sub>2</sub> system by thermal diffusion is operated using multi-column devices, instead of a single-column device, of same total sum of column heights. A larger value for

the column number is needed for better recovery for higher value of volumetric flow rate  $V_F$ , as well as for a larger total sum of column heights (*L*). Further, the improvements in recovery,  $I_d$  and  $I_t$ , increase when  $V_F$  or *L* increases. The order of operating pressures for better improvement recovery is 23.36 kPa, 33.18 kPa, 53.18 kPa and 40 kPa, which is the opposite order for operating pressures for better recoveries,  $\Delta_s$ ,  $\Delta_d$  and  $\Delta_t$ . This fact is evident because the higher-separation operation has smaller room for improvement. For the case of smaller volume flow rate and smaller total sum of column heights, say  $V_F = 100 \text{ cm}^3/\text{min}$  and L = 300 cm, we even obtain the minus sign of improvements for higher-pressure operation, as shown in Table 3 and Fig. 4. In this typical case, the single-column device is rather suggested to be employed.

Actually, when thermal diffusion is operated in a single-column device, increasing the column height, h (=L), increases the effective separation section of the device, leading to an increased degree of separation,

$$\Delta_{\rm s} \text{ i.e.} \frac{d\Delta_{\rm s}}{dL} = \frac{HK}{\left(V_F + 2K\right)^2} > 0 \tag{41}$$

However, the increment of  $\Delta_s$  by increasing *L* has a limiting value, i.e.

$$\frac{d}{dL}\left(\frac{d\Delta_S}{dL}\right) = -\frac{2HKV_F}{\left(V_F + 2k\right)^3} < 0 \tag{42}$$

Taking the case of P = 26.36 kPa and  $V_F = 400$  cm<sup>3</sup>/min for instance,  $\Delta_s = 0.049$  for L = 300-900 cm. Therefore, the multi-column devices should be employed for a higher flow-rate operation.



**Fig. 4.** Comparison of  $I_d$  and  $I_t$  at P = 40 kPa with various L and  $V_F$ .

### 4. Conclusion

The equations for predicting the deuterium recovery from the H<sub>2</sub>-HD-D<sub>2</sub> system using thermal diffusion in single-column, double-column and triple-column devices with a fixed total sum of column heights, have been derived. They are Eqs. (16), (28), and (38), respectively. The most important assumption is that the concentrations are under locally-equilibrium at every point in the column, i.e. H<sub>2</sub> + D<sub>2</sub>  $\leftrightarrow$  2HD. The degrees of deuterium recovery ( $\Delta_s$ ,  $\Delta_d$  and  $\Delta_t$ ) were predicted numerically using the transport coefficients, *H* and *K*, determined in the previous work [14] using the

experimental data of Arita et al. [13]. Some of the H and K values for various operating pressures are listed in Table 1, while the degrees of deuterium recovery ( $\Delta_s$ ,  $\Delta_d$  and  $\Delta_t$ ) for various operating pressures and volumetric flow rates are given in Table 2. The improvement in separation by operating multi-column devices was also calculated based on the recovery in a single-column device. The results are presented in Table 3. These tables show that considerable improvement in performance can be achieved if a multi-column device is used, instead of single-column device of same total sum of column heights, especially for the case of higher flow-rate operation and larger total column heights. The reason for that is because when obtaining a larger production rate (higher flow-rate operation), the total separation section in a thermal diffusion column should be longer. Because the separation efficiency increment by increasing the effective separation section in a single-column has a limited value, in this case, therefore, a multicolumn device should be employed for improved performance.

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